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Box Patent Application

Assistant Commissioner for Patents
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Presented for filing is a new continuation patent application of:

Applicant: MARVIN K. SIMON AND TSUN-YEE YAN

Title: CROSS CORRELATED TRELLIS CODED QUADRATURE
MODULATION TRANSMITTER AND SYSTEM

Enclosed are the following papers, including those required to receive a filing date
under 37 CFR 1.53(b):

	<u>Pages</u>
Specification	34
Claims	2
Abstract	1
Declaration	[To be Filed at a Later Date]
Drawing(s)	14

Enclosures:

— Postcard.

This application is a continuation (and claims the benefit of priority under 35 USC 120) of U.S. application serial no. 09/412,348, filed October 5, 1999. The disclosure of the prior application is considered part of (and is incorporated by reference in) the disclosure of this application.

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Page 2

Preliminary Amendment:

Page 1 of the specification, before line 1, insert --This is a continuation of U.S. application serial no. 09/412,348, filed October 5, 1999, (pending).--

Priority is claimed under 35 USC §119 based on provisional application serial number 60/103,227, filed October 5, 1998.

The Retention Fee and extension of time is being paid concurrently. A copy is attached.

This application is entitled to small entity status. A small entity statement will be filed at a later date.

Basic filing fee	\$0
Total claims in excess of 20 times \$9	\$0
Independent claims in excess of 3 times \$39	\$0
Fee for multiple dependent claims	\$0
Total filing fee:	\$0

No filing fee is being paid at this time. Please apply any other required fees, **EXCEPT FOR THE FILING FEE**, to deposit account 06-1050, referencing the attorney document number shown above. A duplicate copy of this transmittal letter is attached.


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Enclosures

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APPLICATION
FOR
UNITED STATES LETTERS PATENT

TITLE: CROSS CORRELATED TRELLIS CODED QUADRATURE
MODULATION TRANSMITTER AND SYSTEM

APPLICANT: MARVIN K. SIMON AND TSUN-YEE YAN

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CROSS CORRELATED TRELLIS CODED QUADRATURE MODULATION
TRANSMITTER AND SYSTEM

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Cross Reference To Related Applications

This application claims the benefit of the U.S.
Provisional Application No. 60/103,227, filed on October 5,
10 1990.

Background

Information can be sent over a channel using modulation
15 techniques. Better bandwidth efficiency allows this same
channel to hold and carry more information. A number of
different systems for efficiently transmitting over channels
are known. Examples include Gaussian minimum shift keying,
staggered quadrature overlapped raised cosine modulation,
20 and Feher's patented quadrature phase shift keying.

Many of these systems provide a transmitted signal with
a constant or pseudo-constant envelope. This is desirable
when the transmitter has a nonlinear amplifier that operates
in or near saturation.

Many of these phase shift keying signals systems can operate using limited groups of the information at any one time.

Trellis coded modulation techniques are well known.

5 Trellis coded techniques operate using multi-level modulation techniques, and hence can be more efficient than symbol-by-symbol transmission techniques.

Summary

10 The present application teaches a special cross correlated trellis coded quadrature modulation technique that can be used with a variety of different transmission schemes. Unlike conventional systems that use constant envelopes for the modulating waveforms, the present system
15 enables mapping onto an arbitrarily chosen waveform that is selected based on bandwidth efficiency for the particular channel.

The system uses a special cross correlator that carries out the mapping in a special way.

20 This system can be used with offset quadrature phase shift keying along with conventional encoders, matched filters, decoders and the like. The system uses a special form of trellis coding in the modulation process that shapes

the power spectrum of the transmitted signal over and above
bandwidth efficiency that is normally achieved by an M-ary
(as opposed to binary) modulation.

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Brief Description of the Drawings

These and other aspects of the invention will be
described in detail with reference to the accompanying
drawings, wherein:

10 Figure 1 shows a basic block diagram of a preferred
transmitter of the present application;

Figure 2 shows a specific cross correlation mapper;

Figure 3 shows a specific embodiment that is optimized
for XPSK;

15 Figure 4 shows waveforms for FQPSK;

Figure 5 shows a block diagram of the system for FQPSK;

Figure 6a and 6b respectively show the waveforms for in
phase and out of phase FQPSK outputs;

Figure 7 shows a trellis diagram for FQPSK;

20 Figure 8 shows an FQPSK shaper;

Figure 9 shows waveforms for full symbols of OQPSK;

Figure 10 shows a trellis coded OQPSK;

Figure 11 shows a 2 state trellis diagram;

Figure 12 shows an uncoded OQPSK transmitter; and
Figure 13 shows paths.

Detailed Description

5 The present application describes a system with a
transmitter that can operate using trellis coding
techniques, which improve the operation as compared with the
prior art techniques.

10 The present application focuses on the spectral
occupancy of the transmitted signal. A special envelope
property is described that improves the power efficiency of
the demodulation and decoding operation. The disclosed
structure is generic, and can be applied to different kinds
of modulation including XPSK, FQPSK, SQORC, MSK and OP or
15 OQPSK.

Fig. 1 shows a block diagram of a cross correlated
quadrature modulation (XTCQM) transmitter 100.

20 An input binary (± 1) datastream 105 is an independent,
identically distributed information sequence $\{d_n\}$ at a bit
rate $R_b = 1/T_b$. A quadrature converter 110 separates this
sequence into an inphase (I) sequence 102 and a quadriphase
(Q) sequence 104 $\{d_{in}\}$ and $\{d_{qn}\}$. As conventional, every

second bit becomes part of the different phase. Hence, the phases can be formed by the even and odd bits of the information bit sequence $\{d_n\}$. The bits hence occur on the I and Q channels at a rate $R_s = 1/T_s = 1/2T_b$; where T_b is the bit rate, and T_s is the symbol rate.

For this explanation, it is assumed that the I and Q sequences $\{d_{In}\}$ and $\{d_{Qn}\}$ are time synchronous. Hence, each bit d_{In} (or d_{Qn}) occurs during the interval $(n - \frac{1}{2})T_s \leq t \leq (n + \frac{1}{2})T_s$ where n represents a count of adjacent symbol time periods T_s .

Rather than analyzing these levels as extending from +1 to -1, it may be more convenient to work with the (0,1) equivalents of the I and Q data sequences. This can be defined as

$$D_{In} = \frac{1 + d_{In}}{2}, \quad D_{Qn} = \frac{1 + d_{Qn}}{2} \quad (1)$$

which both range within the set (0,1). The sequences $\{D_{In}\}$ and $\{D_{Qn}\}$ are separately and respectively applied to rate $r = 1/N$ convolutional encoders 120, 125. The two encoders are in general different, i.e., they have different tap connections and different modulo 2 summers but are assumed to have the same code rate.

sets of $N(0,1)$ output symbols 122, 127 respectively, of the I and Q convolutional encoders 120, 125 corresponding to a single bit input to each of the encoders.

These sets of output symbols 122, 127 will be used to determine a pair of baseband waveforms $s_I(t), s_Q(t)$ which ultimately modulate I and Q carriers for transmission over the channel. The signal $s_Q(t)$ is delayed by delay element 130 for $T_s/2 = T_b$ seconds prior to modulation on the quadrature carrier. This delay offsets the signal $s_Q(t)$ relative to the $s_I(t)$ signal, and thereby provides an offset modulation. Delaying the waveform by one half of a symbol at the output of the mapping allows synchronous demodulation and facilitates computation of the path metric at the receiver. This is different than the approach used for conventional FQPSK.

20

$$N_1 + N_2 + N_3 = N.$$

A similar three part grouping of the Q encoder output symbols $\left\{ E_{Qk} \middle| \begin{smallmatrix} N \\ k=1 \end{smallmatrix} \right\}$ occurs. That is, for the first group let

$Q_{m_1}, Q_{m_2}, \dots, Q_{m_{L_1}}$ be a subset L_1 elements of $\left\{ E_{Qk} \middle| \begin{smallmatrix} N \\ k=1 \end{smallmatrix} \right\}$ which will

5 be used *only* in the selection of $s_Q(t)$. For the second

group, let $I_{m_1}, I_{m_2}, \dots, I_{m_{L_2}}$ be a subset of L_2 elements of $\left\{ E_{Qk} \middle| \begin{smallmatrix} N \\ k=1 \end{smallmatrix} \right\}$

which will be used *only* in the selection of $s_I(t)$. Finally,

for the third group let $Q_{m_{L_1+1}}, Q_{m_{L_1+2}}, \dots, Q_{m_{L_1+L_2+1}} = I_{m_{L_1+1}}, I_{m_{L_1+2}}, \dots, I_{m_{L_1+L_2+1}}$

be a subset of L_3 elements of $\left\{ E_{Qk} \middle| \begin{smallmatrix} N \\ k=1 \end{smallmatrix} \right\}$ which will be used

10 both for the selection of $s_I(t)$ and $s_Q(t)$. Once again, since all of the output symbols of the Q encoder are used either to select $s_I(t)$, $s_Q(t)$ or both, then $L_1 + L_2 + L_3 = N$.

A preferred mode exploits symmetry properties associated with the resulting modulation by choosing

15 $L_1 = N_1, L_2 = N_2$ and $L_3 = N_3$. However, the present invention is not restricted to this particular symmetry.

In summary, based on the above, the signal $S_k(t)$ is determined from symbols $I_{l_1}, I_{l_2}, \dots, I_{l_{L_1+L_2+1}}$ from the output of the I

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partitions of the Q encoder output are: Q_3 (group 1), I_1 (group 2), $I_0=Q_2$ (group 3). Since $N_I=N_Q=4$, the size of the signaling alphabet from which both $s_I(t)$ and $s_Q(t)$ are to be selected has $2^4 = 16$ signals.

5 After assigning the encoder output symbols to either $s_I(t)$, $s_Q(t)$ or both, appropriate binary coded decimal (BCD) numbers are formed from these symbols. These numbers are used as indices i and j for selecting $s_I(t)=s_i(t)$ and

$s_Q(t)=s_j(t)$ where $\left\{ s_i(t) \middle| \begin{matrix} N_I \\ i=1 \end{matrix} \right\}$ and $\left\{ s_j(t) \middle| \begin{matrix} N_Q \\ j=1 \end{matrix} \right\}$ are the signal waveform

10 sets assigned for transmission of the I and Q channel signals.

I_0, I_1, \dots, I_{N_I} are defined as the specific set of symbols taken from both I and Q encoder outputs used to select $s_I(t)$ and $s_Q(t)$. Then the BCD indices needed above are

15 $i = I_{N_I-1} \times 2^{N_I-1} + \dots + I_1 \times 2^1 + \dots + I_0 \times 2^0$ and

$j = Q_{N_Q-1} \times 2^{N_Q-1} + \dots + Q_1 \times 2^1 + \dots + Q_0 \times 2^0$. The Fig. 2 embodiment uses

$i = I_3 \times 2^3 + I_2 \times 2^2 + I_1 \times 2^1 + \dots + I_0 \times 2^0$ and

$j = Q_3 \times 2^3 + Q_2 \times 2^2 + Q_1 \times 2^1 + \dots + Q_0 \times 2^0$. This is shown in Figure 3.

Numerically speaking, in a particular transmission
20 interval of T_s seconds, the contents of the I and Q encoders

$D_{Q,n}=1, D_{Q,n-1}=0, D_{Q,n-2}=1$, then the encoder output symbols

$\left\{ E_{ik} \middle| \begin{smallmatrix} 3 \\ k=1 \end{smallmatrix} \right\}$ and $\left\{ E_{Qk} \middle| \begin{smallmatrix} 3 \\ k=1 \end{smallmatrix} \right\}$ would respectively partition as $I_3=0$

(group 1), $Q_0=1$ (group 2), $I_2=Q_1=0$ (group 3) and $Q_3=1$

5 (group 1), $I_1=1$ (group 2), $I_0=Q_2=1$ (group 3). Thus, based
on the above, $i=3$ and $j=13$ and hence the selection for $s_i(t)$
and $s_o(t)$ would be $s_i(t)=s_3(t)$ and $s_o(t)=s_{13}(t)$.

10 An important function of the present application is
that any set of N_I waveforms of duration T_I seconds (defined
on the interval $(-T_I/2 \leq t \leq T_I/2)$) can be used for selecting the
I channel transmitted signal. Likewise, any set of N_Q
waveforms of duration T_Q seconds, also defined on the
15 interval $(-T_Q/2 \leq t \leq T_Q/2)$ can be used for selecting the Q
channel transmitted signal $s_Q(t)$. However, certain
properties can be invoked on these waveforms to make them
more power and spectrally efficient.

This discussion assumes the special case of $N_l = N_o \stackrel{\Delta}{=} N^*$,

20 although other embodiments are contemplated. Maximum

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Kato and Feher. This technique was in turn a modification of the previously-introduced (by Feher et al) *interference and jitter free* QPSK (IJF-QPSK) with the purpose of reducing the 3 dB envelope fluctuation characteristic of IJF-QPSK to 0 dB. This made the modulation appear as a constant envelope, which was beneficial in nonlinear radio systems. It is further noted that using a constant waveshape for the even pulse and a sinusoidal waveshape for the odd pulse, IJF-QPSK becomes identical to the staggered quadrature overlapped raised cosine (SQORC) scheme introduced by Austin and Chang. Kato and Feher achieved their 3 dB envelope reduction by using an intentional but controlled amount of crosscorrelation between the inphase (I) and quadrature (Q) channels. This crosscorrelation operation was applied to the IJF-QPSK (SQORC) baseband signal prior to its modulation onto the I and Q carriers.

Fig. 5 shows a conceptual block diagram of FPQSK. Specifically, this operation has been described by mapping, in each half symbol, the 16 possible combinations of I and Q channel waveforms present in the SQORC signal. The mapping moves the signals into a new set of 16 waveform combinations chosen in such a way that the crosscorrelator output is time

continuous and has a unit (normalized) envelope at all I and Q uniform sampling instants.

The present embodiment describes restructuring the crosscorrelation mapping into one mapping, based on a *full* symbol representation of the I and Q signals. The FQPSK signal can be described directly in terms of the data transitions on the I and Q channels. As such, the representation becomes a specific embodiment of XTCQM.

Appropriate mapping of the transitions in the I and Q data sequences into the signals $s_I(t)$ and $s_Q(t)$ is described by Tables 1 and 2.

Table 1. Mapping for Inphase (I)-Channel Baseband Signal

$s_I(t)$ in the Interval $(n-\frac{1}{2})T_s \leq t \leq (n+\frac{1}{2})T_s$

	$\left \frac{d_{I,n} - d_{I,n-1}}{2} \right $	$\left \frac{d_{Q,n-1} - d_{Q,n-2}}{2} \right $	$\left \frac{d_{Q,n} - d_{Q,n-1}}{2} \right $	$s_I(t)$
<hr/>				
5	0	0	0	$d_{I,n} s_0(t - nT_s)$
	0	0	1	$d_{I,n} s_1(t - nT_s)$
	0	1	0	$d_{I,n} s_2(t - nT_s)$
	0	1	1	$d_{I,n} s_3(t - nT_s)$
	1	0	0	$d_{I,n} s_4(t - nT_s)$
10	1	0	1	$d_{I,n} s_5(t - nT_s)$
	1	1	0	$d_{I,n} s_6(t - nT_s)$
	1	1	1	$d_{I,n} s_7(t - nT_s)$

Table 2. Mapping for Quadrature (Q)-Channel Baseband

15 Signal $s_Q(t)$ in the Interval $(n-\frac{1}{2})T_s \leq t \leq (n+\frac{1}{2})T_s$

	$\left \frac{d_{Q,n} - d_{Q,n-1}}{2} \right $	$\left \frac{d_{I,n} - d_{I,n-1}}{2} \right $	$\left \frac{d_{I,n+1} - d_{I,n}}{2} \right $	$s_Q(t)$
<hr/>				
20	0	0	0	$d_{Q,n} s_0(t - nT_s)$
	0	0	1	$d_{Q,n} s_1(t - nT_s)$
	0	1	0	$d_{Q,n} s_2(t - nT_s)$
	0	1	1	$d_{Q,n} s_3(t - nT_s)$
	1	0	0	$d_{Q,n} s_4(t - nT_s)$
	1	0	1	$d_{Q,n} s_5(t - nT_s)$
	1	1	0	$d_{Q,n} s_6(t - nT_s)$
25	1	1	1	$d_{Q,n} s_7(t - nT_s)$

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Note that the subscript i of the transmitted signal $s_i(t)$ or $s_0(t)$ as appropriate is the binary coded decimal (BCD) equivalent of the three transitions. Since d_m and $d_{m'}$ take on values ± 1 , Tables 1 and 2 specify the mapping of I and Q symbol transitions 16 different waveforms, namely, $s_i(t) \Big|_{i=0}^{15}$ where $s_i(t) = -s_{i-8}(t), i = 8, 9, \dots, 15$.

The specifics are as follows:

$$\begin{aligned}
 s_0(t) &= A, \quad -T_c/2 \leq t \leq T_c/2, & s_8(t) &= -s_0(t) \\
 s_1(t) &= \begin{cases} A, & -T_c/2 \leq t \leq 0 \\ 1 - (1-A)\cos^2 \frac{\pi t}{T_c}, & 0 \leq t \leq T_c/2 \end{cases} & s_9(t) &= -s_1(t) \\
 s_2(t) &= \begin{cases} 1 - (1-A)\cos^2 \frac{\pi t}{T_c}, & -T_c/2 \leq t \leq 0 \\ A, & 0 \leq t \leq T_c/2 \end{cases}, & s_{10}(t) &= -s_2(t) \\
 s_3(t) &= 1 - (1-A)\cos^2 \frac{\pi t}{T_c}, -T_c/2 \leq t \leq T_c/2 & s_{11}(t) &= -s_3(t)
 \end{aligned} \tag{2a}$$

and

$$s_4(t) = A \sin \frac{\pi t}{T_c}, \quad -T_c/2 \leq t \leq T_c/2, \quad s_{12}(t) = -s_4(t)$$

$$s_5(t) = \begin{cases} A \sin \frac{\pi t}{T}, & -T/2 \leq t \leq 0 \\ \sin \frac{\pi t}{T}, & 0 \leq t \leq T/2 \end{cases}, \quad s_{13}(t) = -s_5(t)$$

$$s_6(t) = \begin{cases} \sin \frac{\pi t}{T}, & -T/2 \leq t \leq 0 \\ A \sin \frac{\pi t}{T}, & 0 \leq t \leq T/2 \end{cases}, \quad s_{14}(t) = s_6(t) \quad (2b)$$

$$s_7(t) = \sin \frac{\pi t}{T}, \quad -T/2 \leq t \leq T/2, \quad s_{15}(t) = s_7(t)$$

Applying the mappings in Tables 1 and 2 to the I and Q data sequences produces the identical I and Q baseband transmitted signals to those that would be produced by passing the I and Q IJF encoder outputs of Figure 5 through the crosscorrelator (half symbol mapping) of the FQPSK (XPSK) scheme. An example of this is shown with reference to Figures 6a and 6b. The Q signal must be delayed by $T/2$ to produce an offset form of modulation. Alternately stated, *for arbitrary I and Q data sequences, FQPSK can alternately be generated by the symbol-by-symbol mappings of Tables 1 and 2 as applied to these sequences.*

The mappings of Tables 1 and 2 become a specific embodiment of XTCQM as described herein. First, the I and Q transitions needed for the BCD representations of the

5 $D_{ln}, D_{l,n-1}, D_{Q,n-1}, D_{Q,n-2}$. The trellis is illustrated in Figure 7
and the transition mapping is given in Table 3.

Table 3. Trellis State Transitions

	Current State	Input	Output	Next State
	0 0 0 0	0 0	0 0	0 0 0 0
	0 0 0 0	0 1	1 12	0 0 1 0
5	0 0 0 0	1 0	0 1	1 0 0 0
	0 0 0 0	1 1	1 13	1 0 1 0
	0 0 1 0	0 0	3 4	0 0 0 1
	0 0 1 0	0 1	2 8	0 0 1 1
	0 0 1 0	1 0	3 5	1 0 0 1
10	0 0 1 0	1 1	2 9	1 0 1 1
	1 0 0 0	0 0	12 3	0 1 0 0
	1 0 0 0	0 1	13 15	0 1 1 0
	1 0 0 0	1 0	12 2	1 1 0 0
	1 0 0 0	1 1	13 14	1 1 1 0
15	1 0 1 0	0 0	15 7	0 1 0 1
	1 0 1 0	0 1	14 11	0 1 1 1
	1 0 1 0	1 0	15 6	1 1 0 1
	1 0 1 0	1 1	14 10	1 1 1 1
	0 0 0 1	0 0	2 0	0 0 0 0
20	0 0 0 1	0 1	3 12	0 0 1 0
	0 0 0 1	1 0	2 1	1 0 0 0
	0 0 0 1	1 1	3 13	1 0 1 0
	0 0 1 1	0 0	1 4	0 0 0 1
	0 0 1 1	0 1	0 8	0 0 1 1
25	0 0 1 1	1 0	1 5	1 0 0 1
	0 0 1 1	1 1	0 9	1 0 1 1
	1 0 0 1	0 0	14 3	0 1 0 0
	1 0 0 1	0 1	15 15	0 1 1 0
	1 0 0 1	1 0	14 2	1 1 0 0
30	1 0 0 1	1 1	15 14	1 1 1 0
	1 0 1 1	0 0	13 7	0 1 0 1
	1 0 1 1	0 1	12 11	0 1 1 1
	1 0 1 1	1 0	13 6	1 1 0 1
	1 0 1 1	1 1	12 10	1 1 1 1
35	0 1 0 0	0 0	4 2	0 0 0 0
	0 1 0 0	0 1	5 14	0 0 1 0
	0 1 0 0	1 0	4 3	1 0 0 0
	0 1 0 0	1 1	5 15	1 0 1 0
	0 1 1 0	0 0	7 6	0 0 0 1
40	0 1 1 0	0 1	6 10	0 0 1 1
	0 1 1 0	1 0	7 7	1 0 0 1
	0 1 1 0	1 1	6 11	1 0 1 1
	1 1 0 0	0 0	8 1	0 1 0 0
	1 1 0 0	0 1	9 13	0 1 1 0
45	1 1 0 0	1 0	8 0	1 1 0 0
	1 1 0 0	1 1	9 12	1 1 1 0

5	1 1 1 0	0 0	11 5	0 1 0 1
	1 1 1 0	0 1	10 9	0 1 1 1
	1 1 1 0	1 0	11 4	1 1 0 1
	1 1 1 0	1 1	10 8	1 1 1 1
	0 1 0 1	0 0	6 2	0 0 0 0
10	0 1 0 1	0 1	7 14	0 0 1 0
	0 1 0 1	1 0	6 3	1 0 0 0
	0 1 0 1	1 1	7 15	1 0 1 0
	0 1 1 1	0 0	5 6	0 0 0 1
	0 1 1 1	0 1	4 10	0 0 1 1
15	0 1 1 1	1 0	5 7	1 0 0 1
	0 1 1 1	1 1	4 11	1 0 1 1
	1 1 0 1	0 0	10 1	0 1 0 0
	1 1 0 1	0 1	11 13	0 1 1 0
	1 1 0 1	1 0	10 0	1 1 0 0
20	1 1 0 1	1 1	11 12	1 1 1 0
	1 1 1 1	0 0	9 5	0 1 0 1
	1 1 1 1	0 1	8 9	0 1 1 1
	1 1 1 1	1 0	9 4	1 1 0 1
	1 1 1 1	1 1	8 8	1 1 1 1

5 pair of symbol waveforms $s_i(t), s_j(t)$ that are output.

Enhanced FQPSK

10 frequency is related to the smoothness of the underlying

15 half symbol characterization of the SQORC signal. Hence,

data symbol sequences, on the average the transmitted FQPSK waveform will likewise have a slope discontinuity at one quarter of the uniform sampling time instants. Therefore, for a random data input sequence, a discontinuity in slope occurs one quarter of the time.

Based on the above reasoning, it is predicted that an improvement in PSD rolloff could be obtained if the FQPSK crosscorrelation mapping could be modified so that the first derivative of the transmitted baseband waveforms is always continuous. This enhanced version of FQPSK requires a slight modification of the above-mentioned four waveforms in Figure 4. In particular, these four transmitted signals are redefined in a manner analogous to $s_1(t), s_2(t), s_3(t), s_4(t)$, namely

$$s_5(t) = \begin{cases} \sin \frac{\pi t}{T_c} + (1-A) \sin^2 \frac{\pi t}{T_c}, & -T_c/2 \leq t \leq 0 \\ \sin \frac{\pi t}{T_c}, & 0 \leq t \leq T_c/2 \end{cases}, \quad s_{13}(t) = -s_5(t)$$

$$s_6(t) = \begin{cases} \sin \frac{\pi t}{T_c}, & -T_c/2 \leq t \leq 0 \\ \sin \frac{\pi t}{T_c} - (1-A) \sin^2 \frac{\pi t}{T_c}, & 0 \leq t \leq T_c/2 \end{cases}, \quad s_{14}(t) = -s_6(t) \quad (5)$$

Note that not only do the signals $s_5(t), s_6(t), s_{13}(t), s_{14}(t)$ as defined in (5) not have a slope discontinuity at their midpoint, or anywhere else in the defining interval. Also, the zero slope at their endpoints has been preserved. Thus,

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Consider an XTCQM scheme in which the mapping function is performed identically to that in the FQPSK embodiment (i.e., as in Figure 3) but the waveform assignment is made as follows and as shown in Figure 9:

25

the two least significant bits are irrelevant, i.e., the two most significant bits are sufficient to define the common waveform for each group, the mapping scheme can be simplified by eliminating the need for I_0, I_1 and Q_0, Q_1 . Fig. 3 shows how eliminating all of I_0, I_1 and Q_0, Q_1 accomplishes multiple purposes. The two encoders can be identical and need only a single shift register stage. Also, the correlation between the two encoders in so far as the mapping of either one's output symbols to both $s_I(t)$ and $s_Q(t)$ has been eliminated which therefore results in what might be termed a "degenerate" form of XTCQM.

The resulting embodiment is illustrated in Fig. 10. Since the mapping decouples the I and Q as indicated by the dashed line in the signal mapping block of Fig. 10, it is sufficient to examine the trellis structure and its distance properties for only one of the two I and Q channels. The trellis diagram for either channel of this modulation scheme would have two states as illustrated in Fig. 11. The dashed line indicates a transition caused by an input "0" and the solid indicates a transition caused by an input "1". Also, the branches are labeled with the output signal waveform that results from the transition. An identical trellis

diagram exists for the Q channel.

This embodiment of XTCQM has a PSD identical to that of the uncoded OQPSK (which is the same as uncoded QPSK) for the transmitted signal. In particular, because of the constraints imposed by the signal mapping, the waveforms $c_1(t) = s_4(t)$ and $c_3(t) = s_{12}(t)$ can never occur twice in succession. Thus, for any input information sequence, the sequence of signals $s_i(t)$ and $s_j(t)$ cannot transition at a rate faster than $1/T$, sec. This additional spectrum conservation constraint imposed by the signal mapping function of XTCQM can reduce the coding (power) gain relative to that which could be achieved with another mapping which does not prevent the successive repetition of $c_1(t)$ and $c_3(t)$. However, the latter occurrence would result in a bandwidth expansion by a factor of two.

Trellis Coded SQORC

If instead of a split rectangular pulse in (7), a sinusoidal pulse were used, namely,

$$s_4(t) = s_5(t) = s_6(t) = s_7(t) = \sin \frac{\pi t}{T}, -T/2 \leq t \leq T/2$$

$$s_i(t) = -s_{i-8}(t), i = 12, 13, 14, 15 \quad (8)$$

then the same simplification of the mapping function as in Figure 10 occurs resulting in decoupling of the I and Q channels. The trellis diagram of Fig. 11 can then be used for either the I or Q channel. Once again, this has a PSD identical to that of uncoded SQORC which is the same as uncoded QORC.

Uncoded OQPSK

The signal assignment and mapping of Fig. 3 can be simplified such that

$$\begin{aligned} s_0(t) = s_1(t) = \dots = s_7(t) &= 1, \quad -T_c/2 \leq t \leq T_c/2, \\ s_i(t) &= -s_{i-8}(t), \quad i = 8, 9, \dots, 15 \end{aligned} \quad (9)$$

then in the BCD representations for each group of eight identical waveforms the three least significant bits are irrelevant. Only the first significant bit is needed to define the common waveform for each group. Hence, the mapping scheme can be simplified by eliminating the need for I_0, I_1, I_2 and Q_0, Q_1, Q_2 . Defining the two unique waveforms $c_0(t) = s_0(t), c_1(t) = s_8(t)$ obtains the simplified degenerate mapping of Fig. 12 which corresponds to uncoded OQPSK with NRZ data formatting.

Likewise, if instead of the signal assignment in (9)
the relation below is used:

$$s_0(t) + s_1(t) = \dots = s_7(t) \begin{cases} -1, & -T_c/2 \leq t \leq 0 \\ 1, & 0 \leq t \leq T_c/2 \end{cases} \quad (10)$$

$$s_i(t) = -s_{i-8}(t), i = 8, 9, \dots, 15$$

then the mapping of Fig. 12 produces uncoded OQPSK with

5 Manchester (biphase) data formatting.

Receiver Implementation and Performance

An optimum detector for XTCQM is a standard trellis
coded receiver which employs a bank of filters which are
10 matched to the signal waveform set, followed by a Viterbi
(trellis) decoder. The bit error probability (BEP)
performance of such a receiver can be described in terms of
its minimum squared Euclidean distance d_{\min}^2 , taken over all
pairs of paths through the trellis. Comparing d_{\min}^2 for one
15 TCM scheme with that of another scheme or with an uncoded
modulation provides a measure of the relative *asymptotic*
coding gain in the limit of infinite E_b/N_0 . To compute d_{\min}^2
for a given TCM (of which XTCQM is one), it is sufficient to
determine the minimum Euclidean distance over all pairs of
20 error event paths that emanate from a given state, and first
return to that or another state a number of branches later.

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The procedure and actual coding gains that can be achieved relative to uncoded OQPSK are explained with reference to results for the specific embodiments of XTCQM discussed above.

5

FQPSK

For conventional or enhanced FQPSK, the smallest length error event for which there are at least two paths that start in one state and remerge in the same or another state is 3 branches. For each of the 16 starting states, there are exactly 4 such error event paths that remerge in each of the 16 end states. Fig. 13 is an example of these error event paths for the case where the originating state is "0000" and the terminating state is "0010".

15 The trellis code defined by the mapping in Table 3 is not uniform, e.g., it is not sufficient to consider only the all zeros path as the transmitted path in computing the minimum Euclidean distance. Rather all possible pairs of error event paths starting from each of the 16 states (the first 8 states are sufficient in view of the symmetry of the signal set) and the ending in each of the 16 states and must

be considered to determine the pair having the minimum Euclidean distance.

Upon examination of the squared Euclidean distance between all pairs of paths, regardless of length, it has been shown that the minimum of this distance normalized by the average bit energy which is one half the average energy of the signal (symbol) set, is for FQPSK given by

$$\frac{d_{\min}^2}{2\bar{E}_b} = \frac{16 \left[\frac{7}{4} - \frac{8}{3\pi} - A \left(\frac{3}{2} + \frac{4}{3\pi} \right) + A^2 \left(\frac{11}{4} + \frac{4}{\pi} \right) \right]}{(7 + 2A + 15A^2)} = 1.56 \quad (11)$$

where \bar{E}_b denotes the average bit energy of the FQPSK signal set, i.e., one-half the average symbol energy of the same signal set. For enhanced FQPSK we have

$$\frac{d_{\min}^2}{2\bar{E}_b} = \frac{(3 - 6A + 15A^2)}{\frac{21}{8} - \frac{8}{3\pi} - A \left(\frac{1}{4} - \frac{8}{3\pi} \right) + \frac{29}{8} A^2} = 1.56 \quad (12)$$

which coincidentally is identical to that for FQPSK. Thus, the enhancement of FQPSK provided by using the waveforms of (5) as replacements for their equivalents in (2b) is significantly beneficial from a spectral standpoint with no penalty in asymptotic receiver performance.

To compare the performance of the optimum receivers of FQPSK and enhanced FQPSK with that of conventional uncoded offset QPSK (OQPSK) we note for the latter that $d_{\min}^2 / \bar{E}_b = 2$ which is the same as that for BPSK. Thus, as a trade against the significantly improved power spectrum afforded by FQPSK and its enhanced version relative to that of OQPSK, an asymptotic loss of only $10 \log(1/1.56) = 1.07 \text{ dB}$ is experienced. These results should be compared with the significantly poorer performance of the conventional FQPSK receiver which makes symbol-by-symbol decisions based independently on the I and Q samples, and results in an asymptotic loss in E_b/N_0 performance on the order of 2 to 2.5 dB relative to uncoded OQPSK.

Trellis Coded OQPSK

For the 2-state trellis diagram in Fig. 11, the minimum squared Euclidean distance occurs for an error event path of length 2 branches. Considering the four possible pairs of such paths that emanate from one of the 2 states and remerge at the same or the other state, then for the waveforms of Fig. 9 it is simple to see that $d_{\min}^2 = 4T_s$. Since the average energy of the signal (symbol) set on the I (or Q) channel is

$E_{av} = T$, which is also equal to the average bit energy (since the channel by itself represents only one bit of information), then the normalized minimum squared Euclidean distance is $d_{min}^2 / 2 \bar{E}_b = 2$ which represents *no asymptotic*

5 coding gain over OQPSK. At finite values of E_b/N_0 there will exist some coding gain since the computation of error probability performance takes into account all possible error event paths, i.e., not only those corresponding to the minimum distance. Thus, in conclusion, the trellis coded

10 OQPSK scheme presented here is a method for generating a transmitted modulation with a PSD that is identical to that of uncoded OQPSK and offers the potential of coding gain at finite SNR without the need for transmitting a higher order modulation (e.g., conventional rate 2/3 trellis coded 8PSK

15 with also achieves no bandwidth expansion relative to uncoded QPSK), the latter being significant in that receiver synchronization circuitry can be designed for a quadriphase modulation scheme.

20

Trellis Coded SQORC

Here again the minimum squared Euclidean distance occurs for the same error event paths as described above.

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With reference to the signal waveform, we now have $d_{\min}^2 = 3T_s$.

Since the average energy of this signal (symbol) set is

$E_{av} = 0.75T$, which again per channel is equal to the average

bit energy, then the normalized minimum squared Euclidean

5 distance is also $d_{\min}^2 / 2 \bar{E}_b = 2$ which again represents no asymptotic coding gain over SQORC. Even though its pulse shaping SQORC has an improved PSD relative to OQPSK, it suffers from a 3 dB envelope fluctuation whereas OQPSK is constant envelope.

What is claimed is:

1. A modulating method, comprising:

obtaining information to be modulated;

determining a desired waveform to use in modulating the

5 information; and

modulating the information on to said waveform.

2. A method as in claim 1, wherein said modulating
occurs one full symbol at a time.

10

3. A method as in claim 1, wherein said determining
comprises determining a waveform which is bandwidth
efficient for a particular application.

15

4. A method as in claim 1, wherein said modulating
comprises cross correlating said information.

20

5. A method as in claim 1, wherein said modulating
comprises separating said information into two
separate streams of information, and modulating
said two separate streams of information in a way
that is out of phase with one another.

6. A method of coding signals comprising producing a
FQPSK that has no slope discontinuity.

Abstract

System of modulating information onto an arbitrary
wavelshape. The system trellis codes the modulation.

5

1. The population	
1.1. 1990-1995	100
1.2. 1996-2000	100
1.3. 2001-2005	100
1.4. 2006-2010	100
1.5. 2011-2015	100
1.6. 2016-2020	100
1.7. 2021-2025	100
1.8. 2026-2030	100
1.9. 2031-2035	100
1.10. 2036-2040	100
1.11. 2041-2045	100
1.12. 2046-2050	100
1.13. 2051-2055	100
1.14. 2056-2060	100
1.15. 2061-2065	100
1.16. 2066-2070	100
1.17. 2071-2075	100
1.18. 2076-2080	100
1.19. 2081-2085	100
1.20. 2086-2090	100
1.21. 2091-2095	100
1.22. 2096-2100	100
1.23. 2101-2105	100
1.24. 2106-2110	100
1.25. 2111-2115	100
1.26. 2116-2120	100
1.27. 2121-2125	100
1.28. 2126-2130	100
1.29. 2131-2135	100
1.30. 2136-2140	100
1.31. 2141-2145	100
1.32. 2146-2150	100
1.33. 2151-2155	100
1.34. 2156-2160	100
1.35. 2161-2165	100
1.36. 2166-2170	100
1.37. 2171-2175	100
1.38. 2176-2180	100
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1.40. 2186-2190	100
1.41. 2191-2195	100
1.42. 2196-2200	100
1.43. 2201-2205	100
1.44. 2206-2210	100
1.45. 2211-2215	100
1.46. 2216-2220	100
1.47. 2221-2225	100
1.48. 2226-2230	100
1.49. 2231-2235	100
1.50. 2236-2240	100
1.51. 2241-2245	100
1.52. 2246-2250	100
1.53. 2251-2255	100
1.54. 2256-2260	100
1.55. 2261-2265	100
1.56. 2266-2270	100
1.57. 2271-2275	100
1.58. 2276-2280	100
1.59. 2281-2285	100
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1.71. 2341-2345	100
1.72. 2346-2350	100
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1.80. 2386-2390	100
1.81. 2391-2395	100
1.82. 2396-2400	100
1.83. 2401-2405	100
1.84. 2406-2410	100
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1.100. 2486-2490	100
1.101. 2491-2495	100
1.102. 2496-2500	100
1.103. 2501-2505	100
1.104. 2506-2510	100
1.105. 2511-2515	100
1.106. 2516-2520	100
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1.109. 2531-2535	100
1.110. 2536-2540	

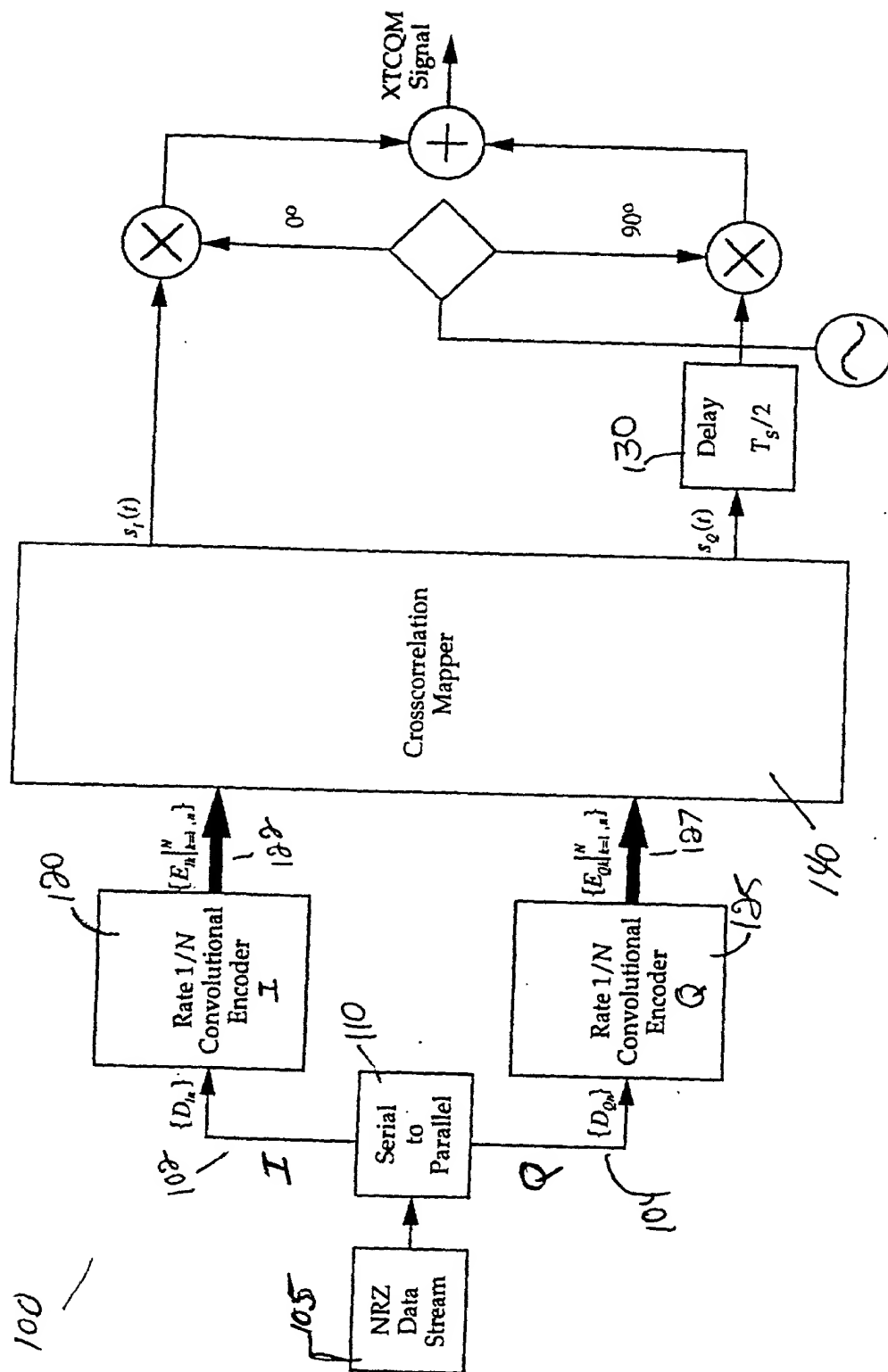


Fig. 1. Conceptual Block Diagram of XTCQM Transmitter

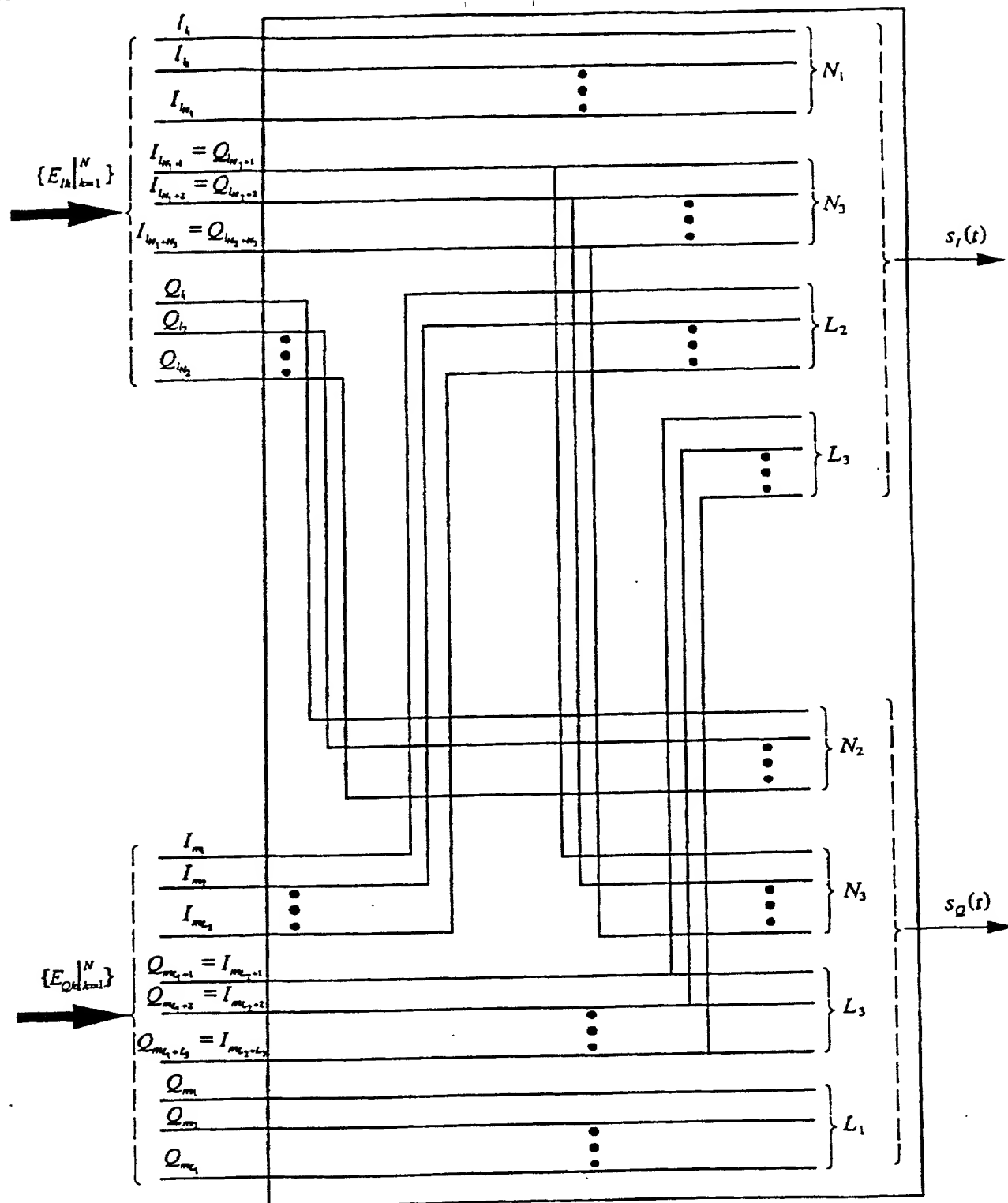


Fig. 2. Crosscorrelation Mapper

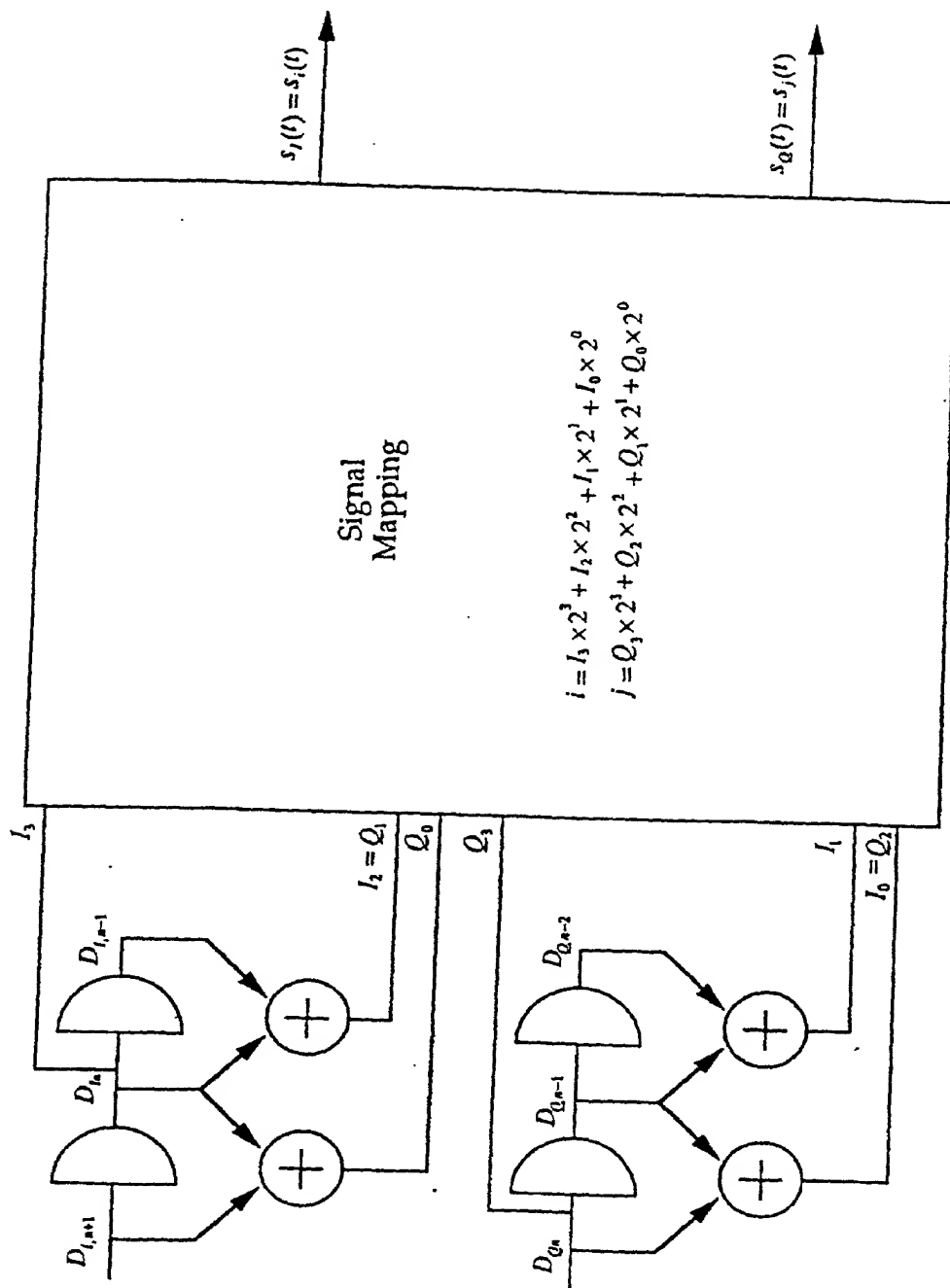


Fig. 3. XPSK (FQPSK) Embodiment of XTCQM Transmitter

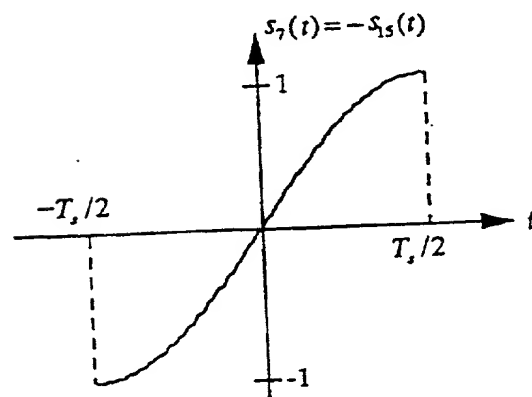
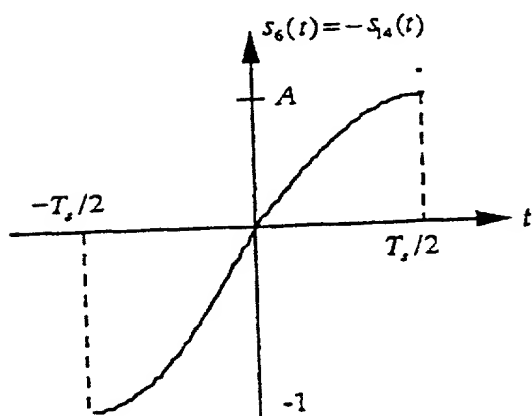
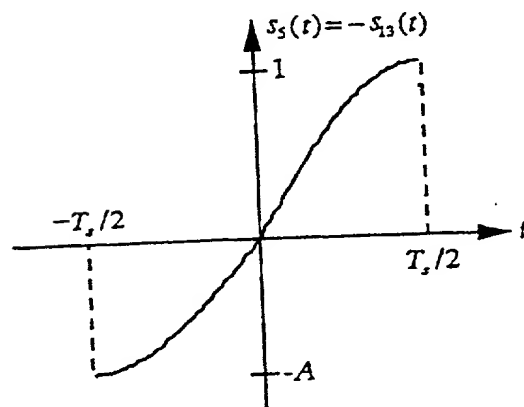
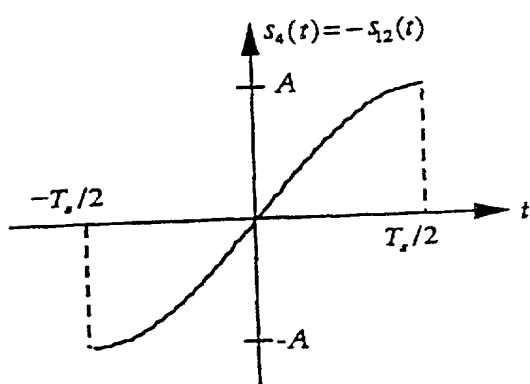
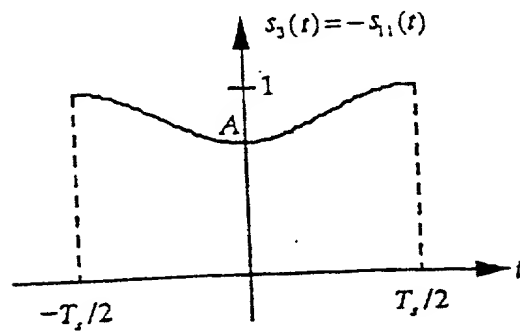
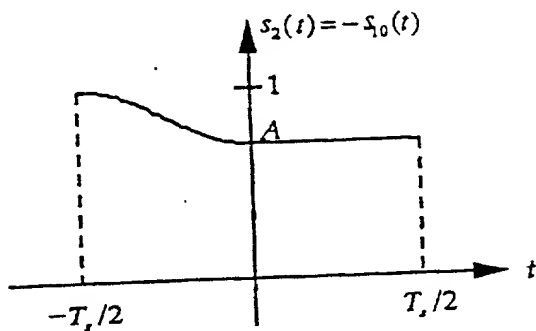
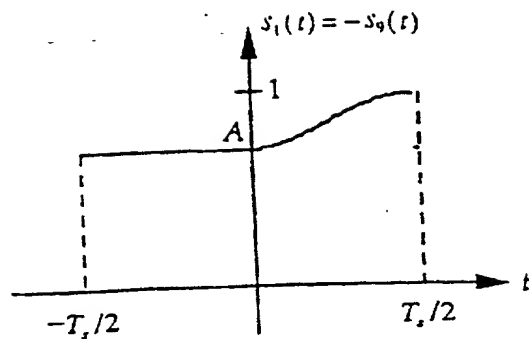
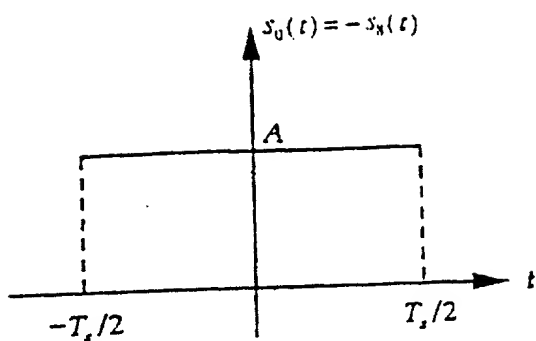


Fig. 4. FQPSK Full Symbol Waveforms

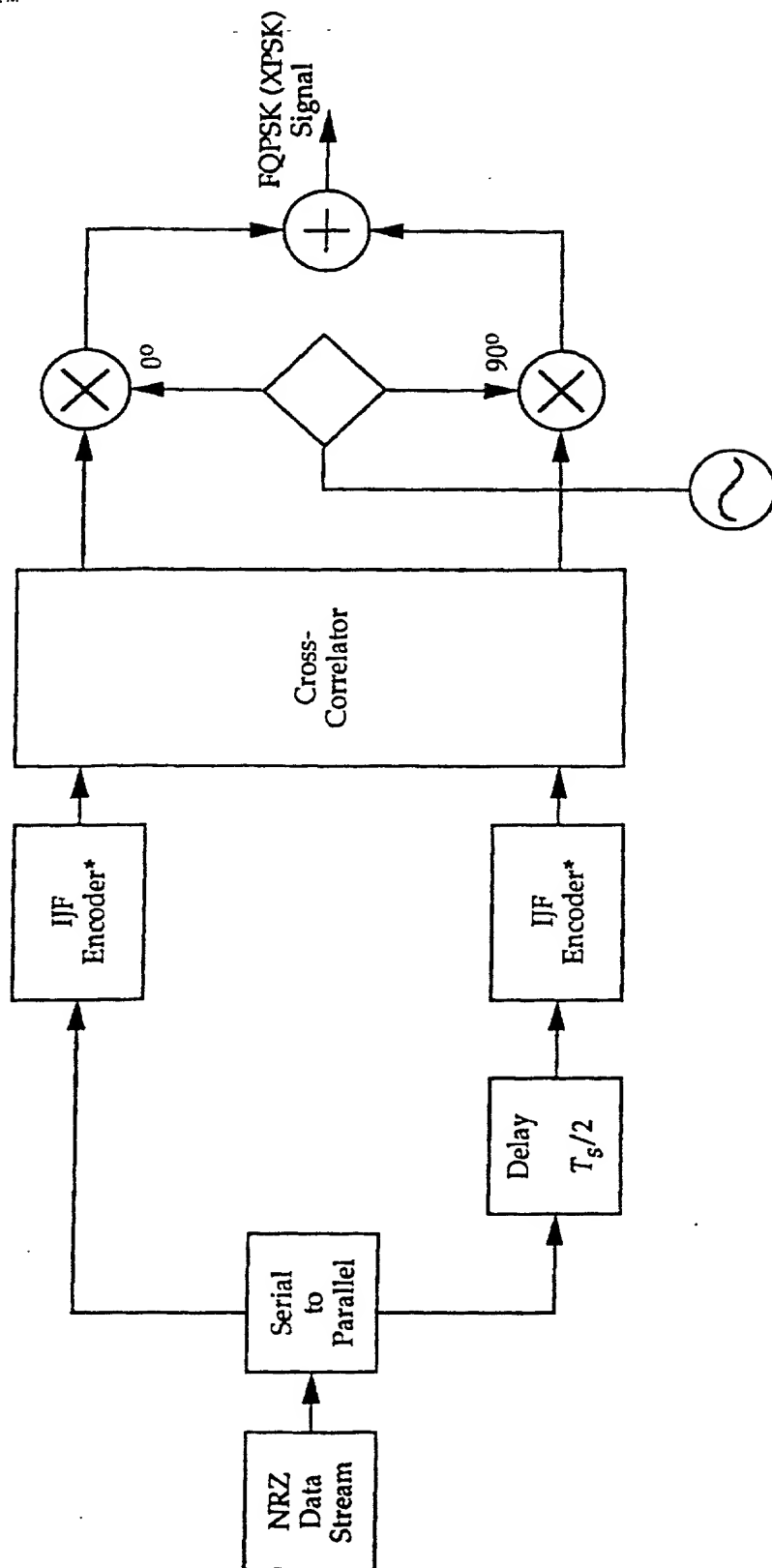


Fig. 5. Conceptual Block Diagram of FQPSK (XPSK)

*Note that what is referred to as an "IJF Encoder" is in fact a mapping function without any error-correcting capability.

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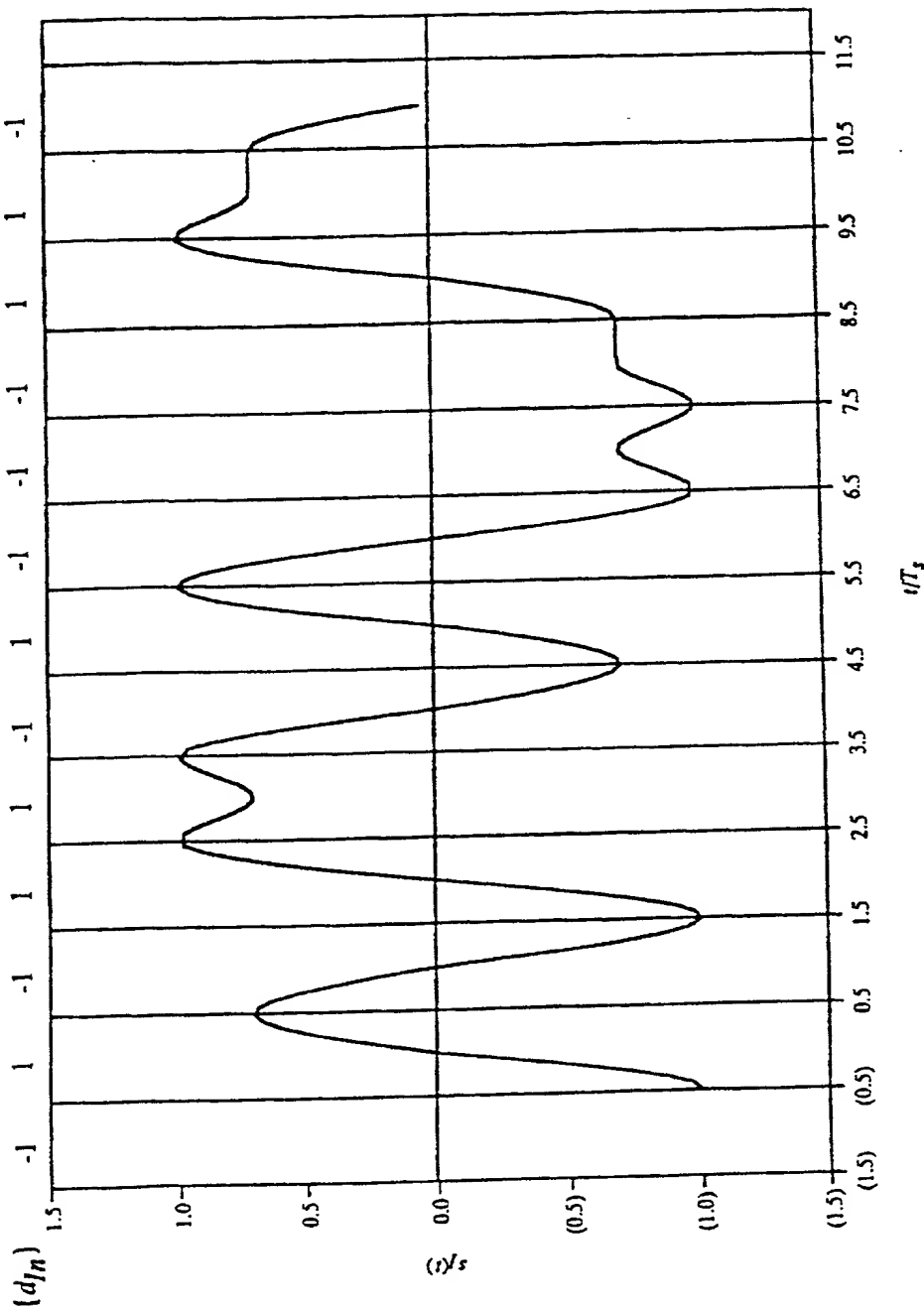


Fig. 6a. InPhase FQPSK (XPSK) Output

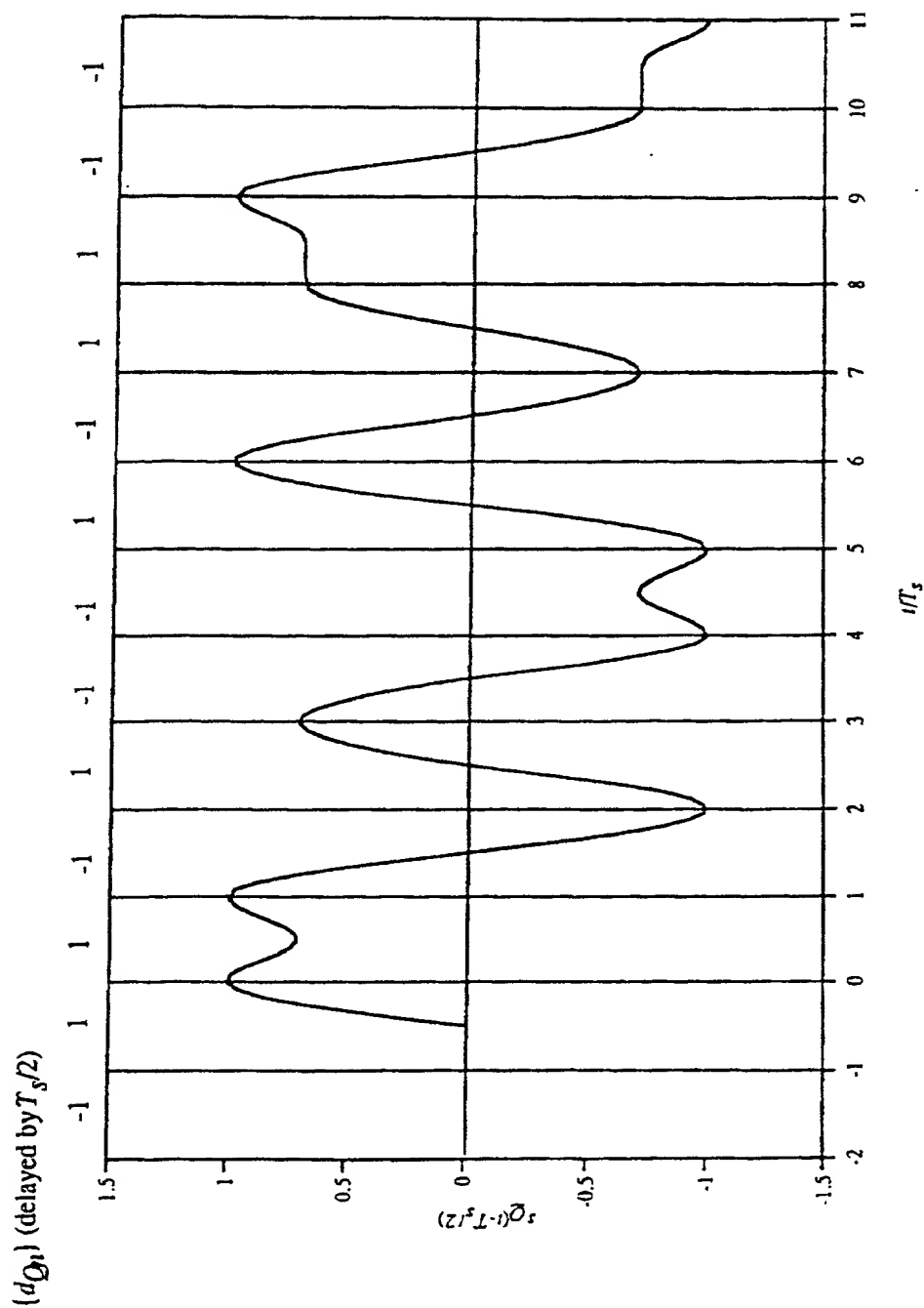


Fig. 6b. Quadrature Phase FQPSK (XPSK) Output

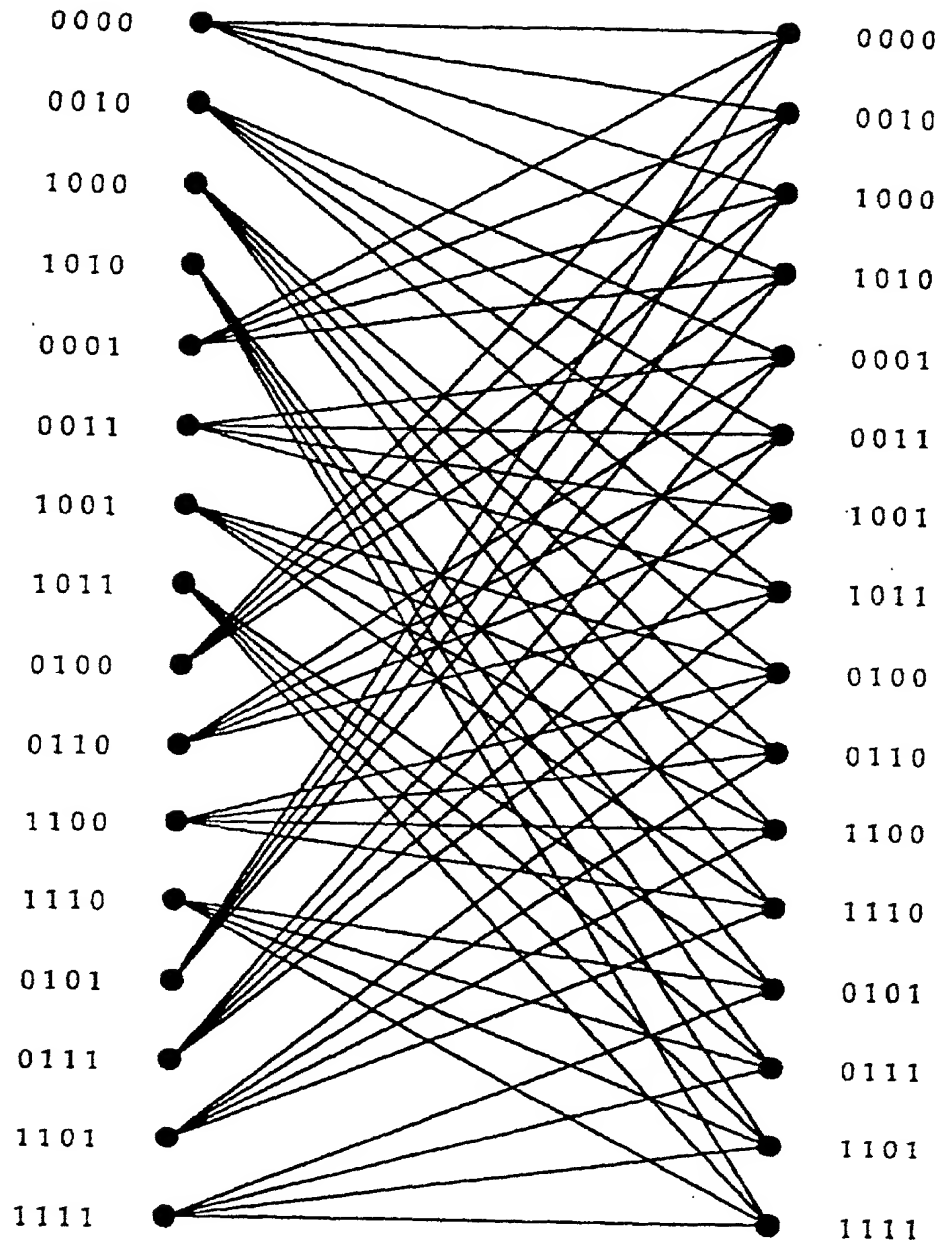
PROPRIETARY

Fig. 7. 16-State Trellis Diagram for FQPSK

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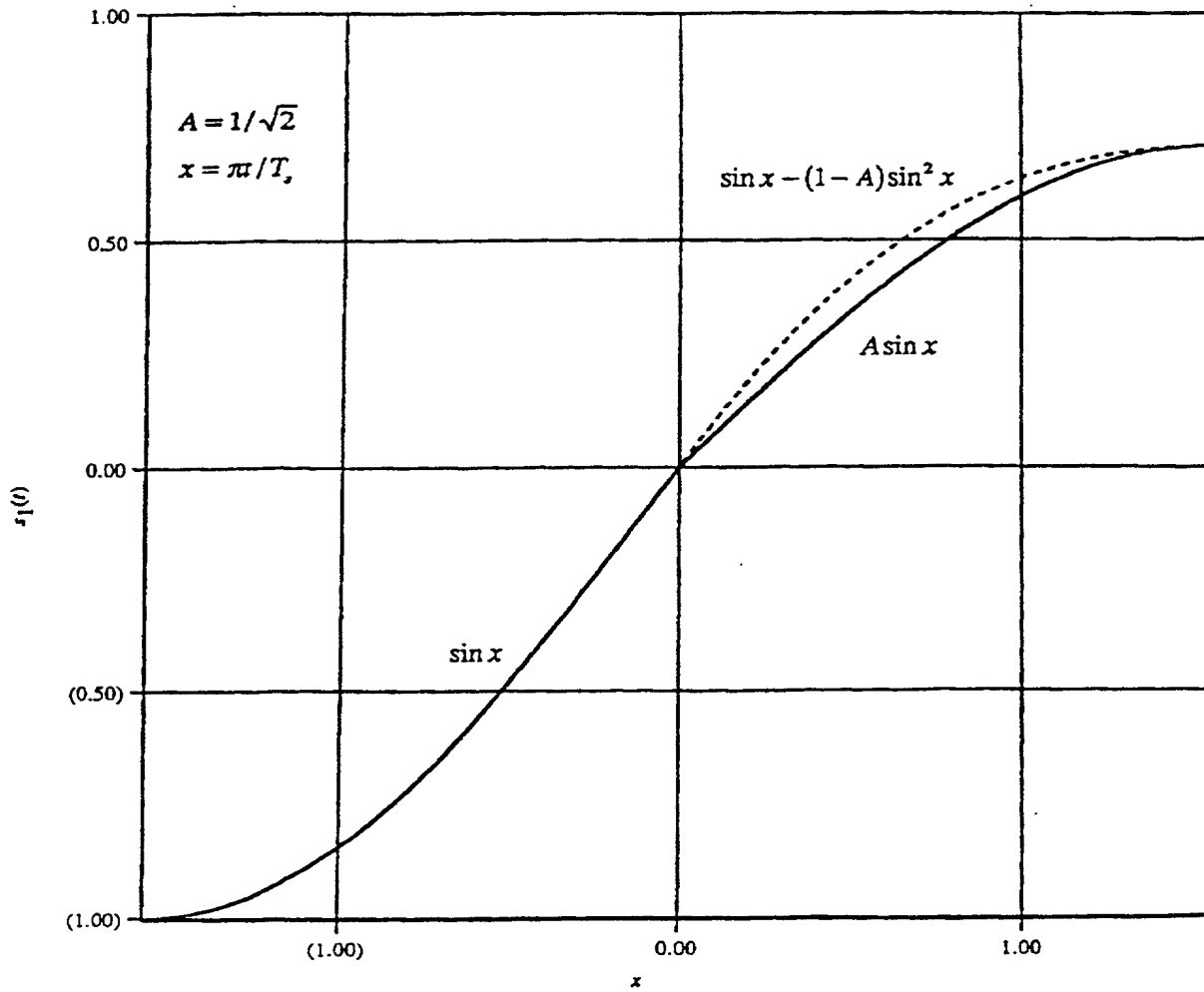


Fig. 8. Original and New FQPSK Pulse Shapes

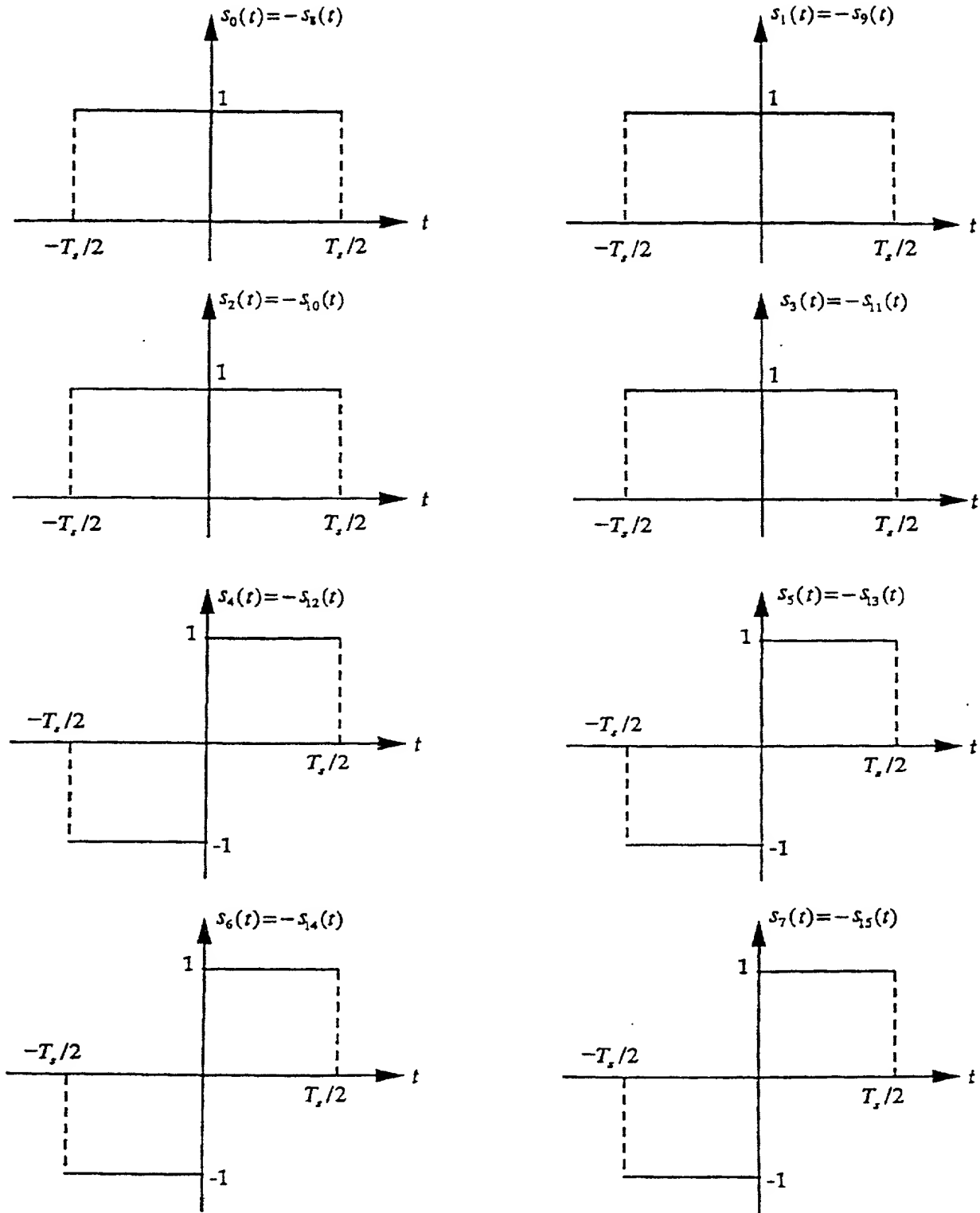


Fig. 9. OQPSK Full Symbol Waveforms

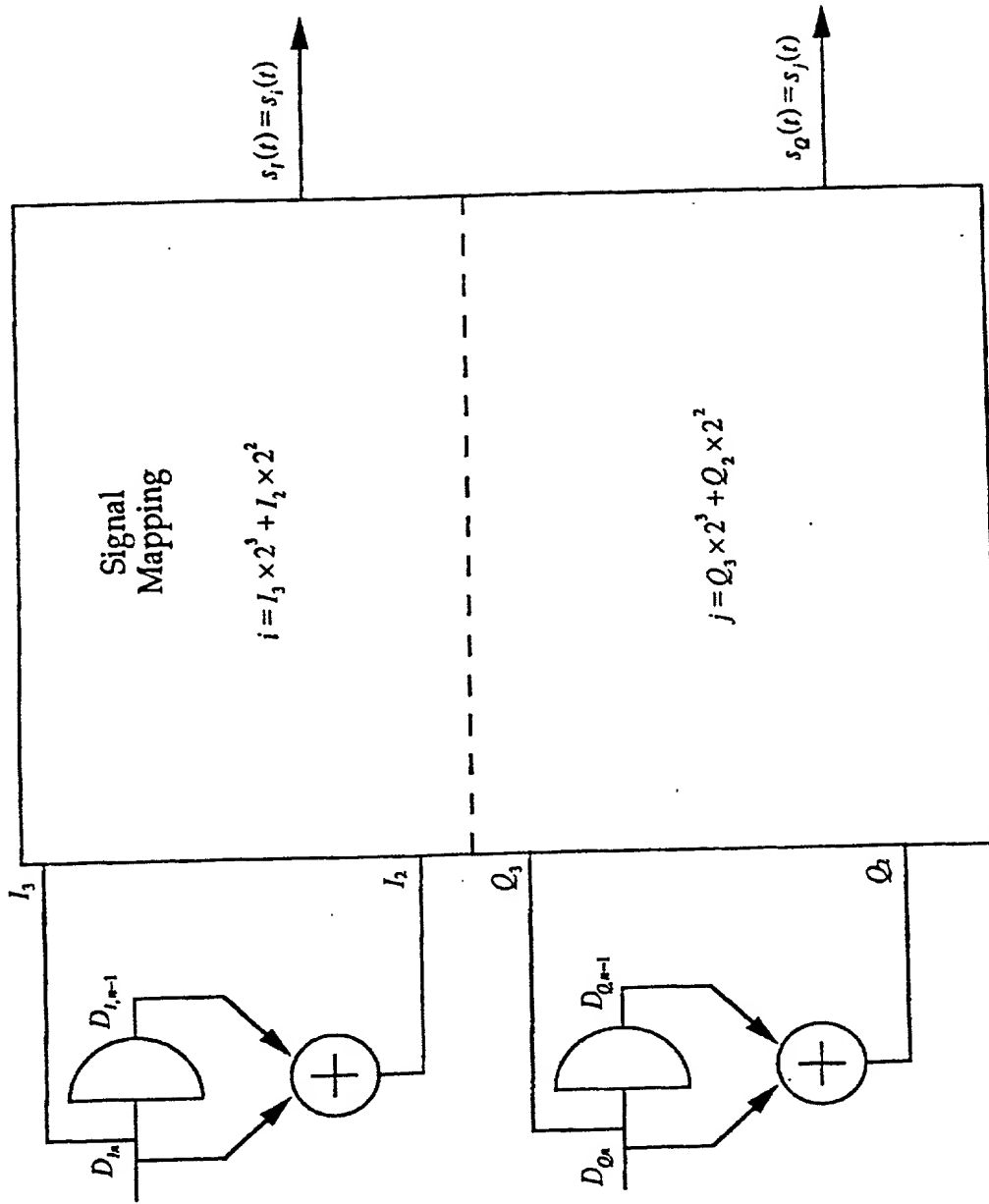


Fig. 10. Trellis Coded QPSK Embodiment of XTCQM Transmitter

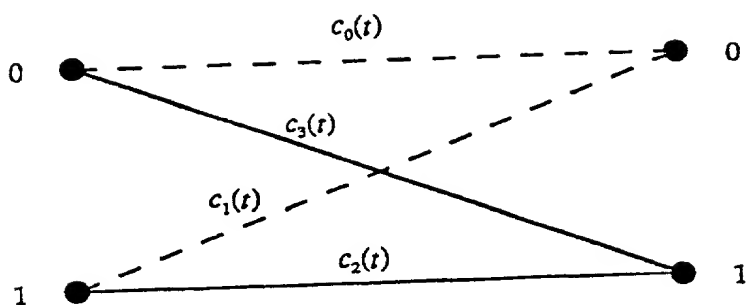


Fig. 11. 2-State Trellis Diagram for OQPSK

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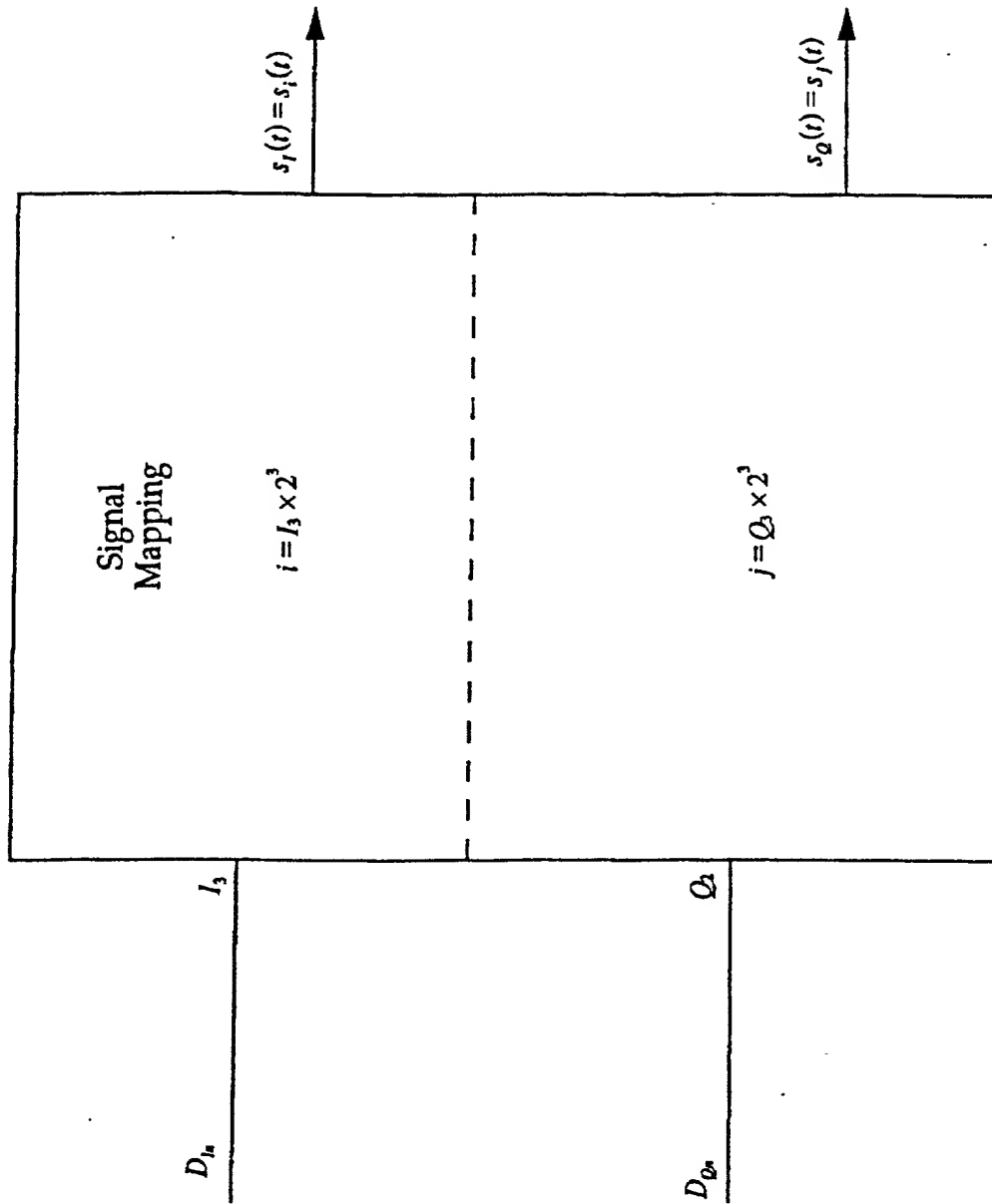


Fig. 12. Uncoded OQPSK Embodiment of XTCQM Transmitter with NRZ Data Formatting

REFLECTION

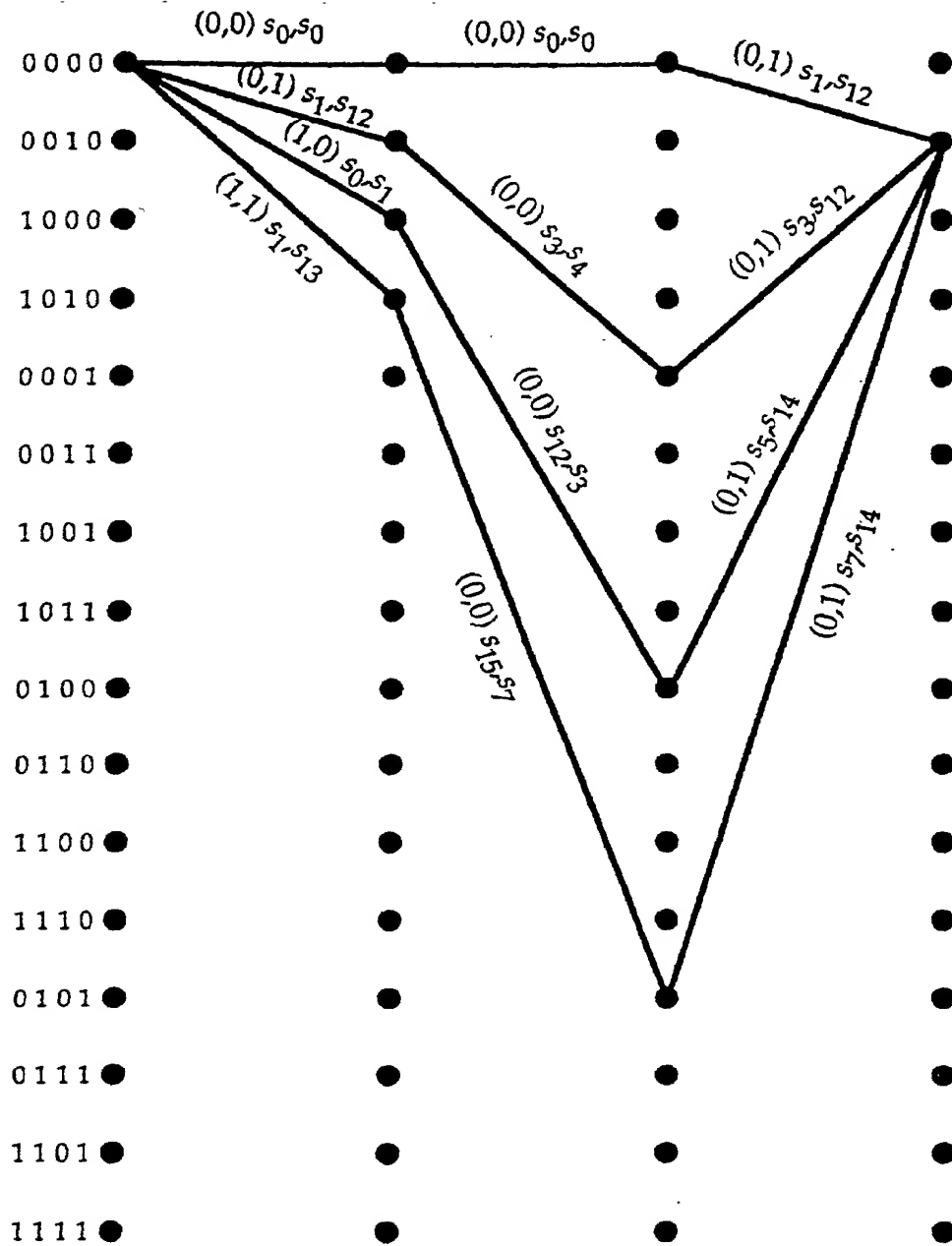


Fig. 13. Paths of Length 3 Branches Starting in State 1 and Ending in State 2